

9-2 HW

① $7^2 + AX^2 = 25^2$

$49 + AX^2 = 625$

$AX^2 = 576$

$AX = 24$

Triple

② $24^2 + OA^2 = 26^2$

$OA^2 = 100$

Triple $OA = 10$

③ $m\angle AXB = 64^\circ$

④ $m\angle AXB = 84^\circ$

⑤ $90 - 19 = 71$

$71 \times 2 = 142^\circ$

⑥ $PC = 10$

work ⑦ $15^2 + 8^2 = PR^2$

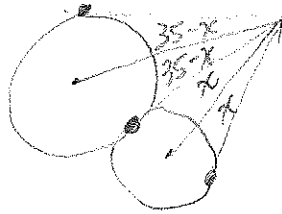
$225 + 64 =$

$17 = PR$

$17 - 8 = PS$

$9 = PS$

W
⑧



$2(35-x) + 2x$

$70 - 2x + 2x$

70

$m\angle APC = 70$

⑨ $x = 2$

⑩ $y = 4$

⑪ $z = 3$

⑫ $CD = 5$

⑬ $P = 6 + 7 + 6 + 5 = 24$



① $\overline{QB} \perp \overline{QP}$

② $m\angle QPR = 90 \rightarrow$ ③ $\angle QPR$ is rt. \rightarrow ④ $\overline{QP} \perp \overline{PR}$

⑥ $\overline{BR} \perp \overline{PR}$

\rightarrow ⑤ $\overline{QB} \parallel \overline{PR}$

\rightarrow ⑦ $\overline{QP} \parallel \overline{BR}$

⑧ Quad QBRP is \square \rightarrow ⑩ \square QBRP is a rhombus

⑨ $\overline{QP} \cong \overline{PR}$

⑪ Quad QBRP is \square \rightarrow ⑬ \square QBRP is rectangle

⑫ $\angle QPR$ is rt.

⑭ \square QBRP is a square.

14) REASONS

- ① A line tangent the radius of \odot is \perp to radius.
- ② Given
- ③ Def. of right \angle
- ④ Def. of \perp lines
- ⑤ 2 lines \perp to same line are \parallel to each other.
- ⑥ Same as #1
- ⑦ same as #5
- ⑧ Def. of a \square
- ⑨ Radii of same circle are \cong .
- ⑩ If a \square w/ 2 consecutive sides $\cong \rightarrow$ rhombus.
- ⑪ same as #8
- ⑫ same as #3
- ⑬ If a \square w/ 1 rt. $\angle \rightarrow$ a rectangle.
- ⑭ If a \square is a rhombus & rectangle \rightarrow a square.

Another proof for #14:

① OP inscribed in $ABCD \rightarrow$ ② \overline{AB} & \overline{BC} are tangents to OP . \rightarrow ③ $\overline{AB} \perp \overline{PQ}$ & $\overline{BC} \perp \overline{PR}$ \rightarrow ④ $\angle BOP$ & $\angle BRP$ are right

⑤ $m\angle BOP = 90$
 $m\angle BRP = 90$

⑥ $m\angle QPR = 90$

⑦ $m\angle QPR + m\angle POB + m\angle PRB + m\angle B = 360$

⑧ $90 + 90 + 90 + m\angle B = 360$

⑨ $m\angle B = 90$

① $\angle 1 \cong \angle 2 \cong \angle 3 \rightarrow$ ② $m\angle 1 = m\angle 2 = m\angle 3 \rightarrow$ ③ $m\angle 1 + m\angle 2 + m\angle 3 = 360$

④ $m\angle 1 = m\angle 2 = m\angle 3 = 120$

⑤ $\overline{AC} \perp \overline{DH}$
 $\overline{AB} \perp \overline{EH}$
 $\overline{CB} \perp \overline{FH}$ \rightarrow ⑥ $\angle ADH, \angle CDH, \angle CFH$
 $\angle BFH, \angle AEH, \angle BEH$
 are each right \angle . \rightarrow ⑦ Each \angle in #6 = 90°

⑧ $m\angle 1 + m\angle CDH + m\angle CFH + m\angle C = 360 \rightarrow$ ⑨ $m\angle C = 60$
 $m\angle 2 + m\angle BFH + m\angle BEH + m\angle B = 360 \rightarrow m\angle B = 60$
 $m\angle 3 + m\angle AEH + m\angle ADH + m\angle A = 360 \rightarrow m\angle A = 60$

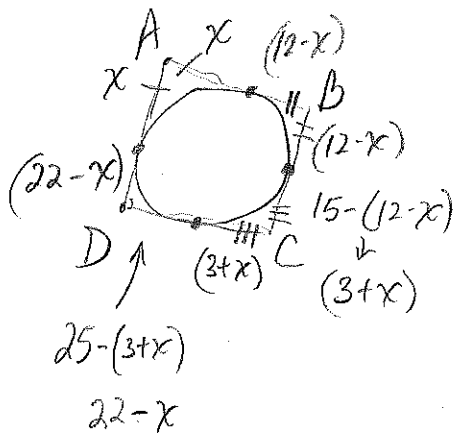
⑩ $\triangle ABC$ is equiangular \rightarrow ⑪ $\triangle ABC$ is equilateral.

Reasons:

- ① Given
- ② Def. of $\cong \angle$ s
- ③ Sum of degrees in \odot is 360.
- ④ Division property

- ⑤ Line tangent to \odot is \perp radius.
- ⑥ Def of \perp lines.
- ⑦ Def of right \angle .
- ⑧ Sum of degrees in Quad is 360.
- ⑨ Subtraction Prop.
- ⑩ Def. of equiangular \triangle .
- ⑪ If a \triangle is equiangular, it is equilateral.

⑫



⑫ $WX = 19$

$AD = x + 22 - x = \boxed{22}$
 $AD = 22$

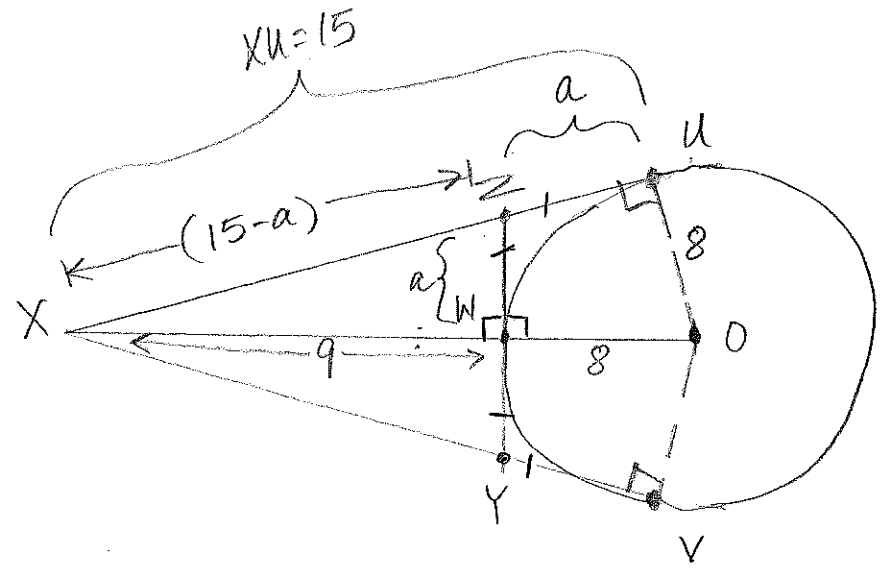
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① $AE + EB = AB$

② \overline{AD} , \overline{AE} , and \overline{BC} are tangents to $\odot O$. \rightarrow ③ $\overline{AD} \cong \overline{AE}$ \rightarrow ④ $AD = AE$
 $\overline{BE} \cong \overline{BC}$ $BE = BC$ \rightarrow ⑤ $AD + BC = AB$

- ① Segment Add. Postulate
- ② Given
- ③ Tangent segments from same ext. pt are \cong .
- ④ Def of \cong segments.
- ⑤ Substitution

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$$9^2 + a^2 = (15 - a)^2$$

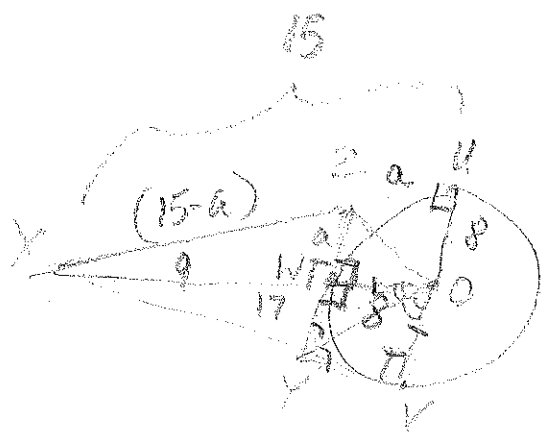
$$a = 4.8$$

So, $WZ = 4.8$, $XZ = 10.2$, $YZ = 9.6$

$$XZ + YZ + XY$$

$$10.2 + 9.6 + 10.2 = \textcircled{30}$$

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$$\begin{array}{r} 17 \\ \underline{17} \\ 119 \\ \underline{17} \\ 289 \end{array}$$

Δ

$$17^2 = 8^2 + XU^2$$

$$\frac{17}{8} = \frac{15-a}{a}$$

$$\begin{array}{r} 289 \\ 64 \\ \hline 225 = XU^2 \end{array}$$

$$17a = 8(15) - 8a$$

$$15 = XU$$

$$25a = \frac{8(15)3}{235}$$

$$\begin{array}{r} 15-4 \\ 4.8 \\ \hline 10.2 \end{array}$$

$$a = \frac{24}{5} = 4.8$$

$$XZ = 10.2$$

$$YZ = 2(4.8) = 9.6$$

$$XY = 10.2$$

Prove WZ = WY.

Erza said:

Since $XZ + ZW = 15$

and $XY + YW = 15$.

These 4 parts add up to 30.

