

⑥ A corollary is an offshoot from a theorem; statement that can easily be proved by applying a theorem.

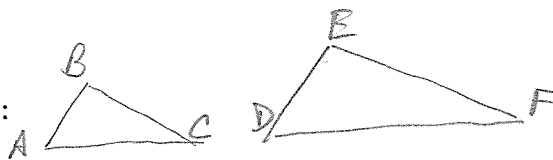
⑦ **Corollary:** If 2 angles of one triangle are congruent to 2 angles of another triangle, then the 3rd angles are congruent.

$\triangle ABC, \triangle DEF$

Given: $\angle A \cong \angle D, \angle B \cong \angle E$

Prove: $\angle C \cong \angle F$

Diagram:

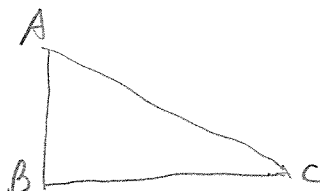


⑧ **Corollary:** The acute angles of a right triangle are complementary.

Given: $\triangle ABC$
 $\overline{AB} \perp \overline{BC}$

Prove: $\angle A$ complements $\angle C$

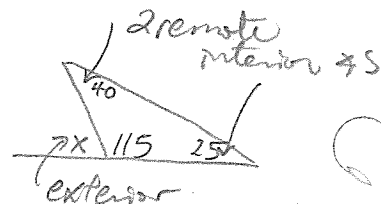
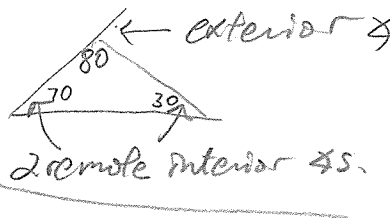
Diagram:



⑨ **Exterior angles and remote interior angles:**

exterior \angle - formed by extending one side of a \triangle

remote interior \angle s - the 2 \angle s inside the \triangle not adjacent to the exterior \angle s.

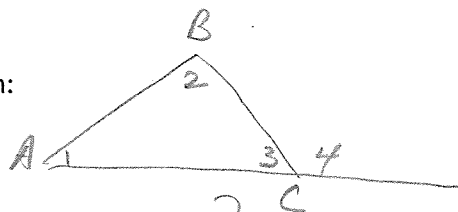


⑩ **Exterior Angle Thm:** The measure of an exterior angle of a triangle equals the sum of the measures of the remote interior angles.

Given: $\triangle ABC$

Prove: $m\angle 4 = m\angle 1 + m\angle 2$

Diagram:



① $m\angle 1 + m\angle 2 + m\angle 3 = 180$

② $\angle 3, \angle 4$ linear pair \rightarrow ③ $\angle 3$ supp $\angle 4 \rightarrow$ ④ $m\angle 3 + m\angle 4 = 180$

⑤ $m\angle 1 + m\angle 2 + m\angle 3 = m\angle 3 + m\angle 4 \rightarrow$ ⑥ $m\angle 1 + m\angle 2 = m\angle 4$

① Sum of meas. of \angle s of $\triangle = 180$

② Def linear pair

③ linear pair postulate

④ Def Supplem. \angle s.

⑤ Substitution

⑥ Subtraction property of equality