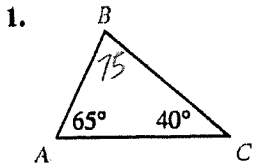


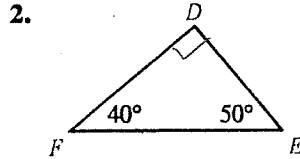
Geometry (H)  
Section 6.4 - problems

Name: KEY

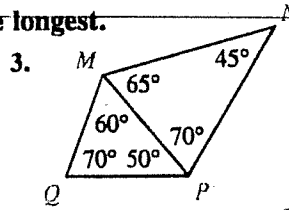
List the sides of each figure from the shortest to the longest.



$AB < BC < AC$



$DE < DF < EF$



$MN > NP > MP > PQ > MG$

List the sides of  $\triangle ABC$  from the shortest to the longest.

4.  $m\angle A = 46, m\angle B = 30$

5.  $m\angle C = 101, m\angle B = 70$

6.  $m\angle A = 59, m\angle C = 61$

7.  $m\angle B = 48, m\angle A = 47$

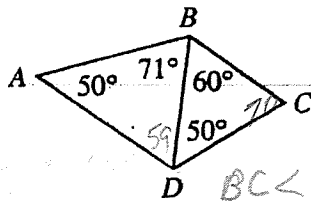
List the angles of  $\triangle ABC$  from the smallest to the largest.

8.  $AB = 17, BC = 21, AC = 18$

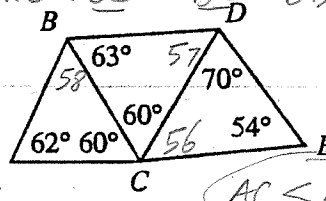
9.  $AB = 15, AC = 16, BC = 17$

10. List the sides of quadrilateral  $ABCD$  from the shortest to the longest.

11. List all the segments in the figure from the shortest to the longest.



$BC < CD < BD < AB < AD$



$AC < AB < BC$     $BC < BD < CD$     $CD < DE < CE$

Which numbers could represent the lengths of the sides of a triangle?

12. ~~10, 20, 30~~

13. 10, 8, 6

14. ~~5, 14, 7~~

15. ~~4, 9, 15~~

16. 6, 6, 11

17. ~~1, 3, 5~~

18. If the sum of the lengths of two sides of a triangle is 15, what is the largest possible integral value for the third side? 14

19. If the base of an isosceles triangle is 10, what is the shortest possible integral value for each of the equal sides? 6

20. If the perimeter of a triangle is 8 and the lengths of the sides are integers, what is the length of the shortest side? 2

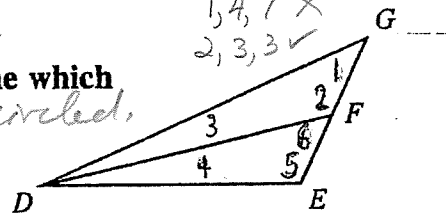
Use the Exterior Angle Inequality Theorem to determine which angle is larger or state not possible. *larger is circled.*

21.  $\angle 1$  and  $\angle 6$

22.  $\angle 1$  and  $\angle 2$  NOT possible

23.  $\angle 2$  and  $\angle 4$

24.  $\angle 5$  and  $\angle 2$



26. If the lengths of two sides of a triangle are 6 and  $p$ , where  $p$  is a whole number, give the possible whole numbers for the length of the third side.

$\frac{6}{p}, \frac{1}{p}, \frac{6}{3^{p-1}}$

$6, \frac{2}{p}, \frac{7}{3^{p-2}}$

$6, 2, 2$

6, 4, 9

6, 5, 10

6, 6, 11

6, 7, 12

6, 8, 13

6, 9, 14

6, 11, 16

6, 12, 17

6, 13, 18

$|6-p| < x < 6+p$

$|6-p|$

$5 < x < 6+p$

## Written Exercises

The lengths of two sides of a triangle are given. Write the numbers that best complete the statement: The length of the third side must be greater than ?, but less than ?.

1. 6, 9

2. 15, 13

3. 100, 100

4.  $7n, 10n$

5.  $a, b$  (where  $a > b$ )

6.  $k, k + 5$

①  $3 < x < 15$

②  $2 < x < 28$

③  $0 < x < 200$

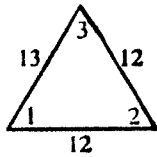
④  $3n < x < 17n$

⑤  $|a-b| < x < a+b$

⑥  $5 < x < 2k+5$

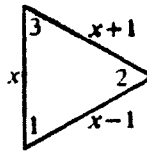
In Exercises 7-9 the diagrams are not drawn to scale. If each diagram were drawn to scale, which numbered angle would be the largest?

7.



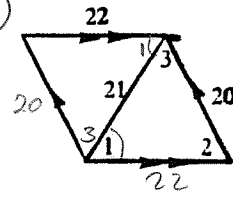
$m \angle 2$

8.



$\angle 1$

9.

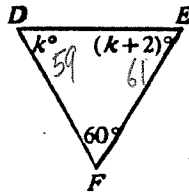


$\angle 3$

$\leftarrow a \angle P$

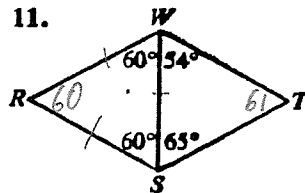
In Exercises 10-14 the diagrams are not drawn to scale. If each diagram were drawn to scale, which segment shown would be the longest?

10.



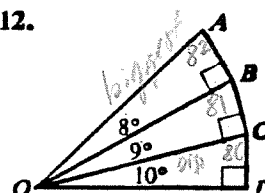
$\overline{DF}$

11.



$\overline{WT}$

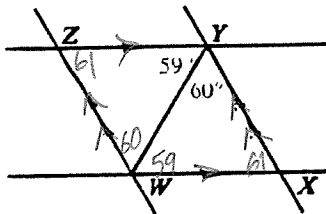
12.



$\overline{AO}$

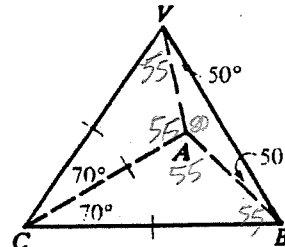
$AO > BO > CO > DO$

13.



$\overline{WY}$

14.

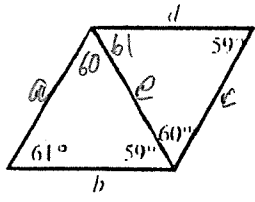


$\overline{VB}$

$\frac{110}{2} = 55$

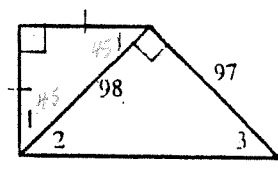
$VA = AB$

15. Use the lengths  $a, b, c, d,$  and  $e$  to complete:  
 $\underline{\quad} > \underline{\quad} > \underline{\quad} > \underline{\quad} > \underline{\quad}$



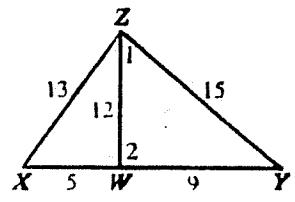
$c > d > e > b > a$

16. Use  $m\angle 1, m\angle 2,$  and  $m\angle 3$  to complete:  
 $\underline{\quad} > \underline{\quad} > \underline{\quad}$



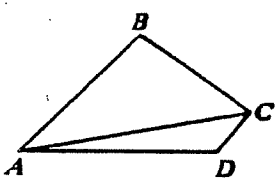
$\angle 3 > \angle 2 > \angle 1$

17. The diagram is not drawn to scale. Use  $m\angle 1, m\angle 2, m\angle X, m\angle Y,$  and  $m\angle XZY$  to complete:  
 $\underline{\quad} > \underline{\quad} > \underline{\quad} > \underline{\quad} > \underline{\quad}$

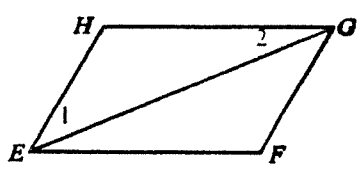


$m\angle 2 > m\angle X > m\angle XZY > m\angle Y > m\angle 1$

18. Given: Quad. ABCD  
 Prove:  $AB + BC + CD + DA > 2(AC)$



19. Given:  $\square EFGH$ ;  $EF > FG$   
 Prove:  $m\angle 1 > m\angle 2$



$\left. \begin{matrix} \textcircled{1} AB + BC > AC \\ AD + CD > AC \end{matrix} \right\} \rightarrow \textcircled{2} AB + BC + AD + CD > 2(AC)$

$\textcircled{1}$  The sum of 2 sides of  $\Delta > 3^{rd}$  side.

$\textcircled{2}$  If  $a > b,$  and  $c > d,$  then  $a + c > b + d.$

$\textcircled{1} \square EFGH \rightarrow \textcircled{2} \begin{matrix} HG = EF \\ HE = GF \end{matrix}$

- $\textcircled{1}$  Given
- $\textcircled{2} \square \rightarrow$  opposites  $\cong$
- $\textcircled{3}$  Given  $\rightarrow \textcircled{3} EF > FG$
- $\textcircled{4}$  Substitution  $\rightarrow \textcircled{4} HG > HE$
- $\textcircled{5}$  If one side of  $\Delta > 2^{nd}$  side, then  $\angle$  opp larger  $\rightarrow \textcircled{5} m\angle 1 > m\angle 2$

