



$$2x + z = y + 3$$

$$3x = \frac{1}{2}(4y - z)$$

$$3x = 2y - 1$$

$$2x - y = 1$$

$$3x - 2y = -1$$

$$-x = 3$$

$$-2(2x - y) + 1(2y - 1) = -2$$

$$-4x + 2y = -2$$

$$3x - 2y = -1$$

$$-x = 3$$

$$3(3) - 2y = -1$$

$$9 - 2y = -1$$

$$-2y = -10$$

$$y = 5$$

$$MN = 3(5) = 15$$

$$AB = 4(5) - 2 = 20 - 2 = 18$$

$$2x^2 - 3x = 5x - 6$$

$$2x^2 - 8x + 6 = 0$$

$$2(x^2 - 4x + 3) = 0$$

$$2(x - 3)(x - 1) = 0$$

$$x - 3 = 0 \quad x - 1 = 0$$

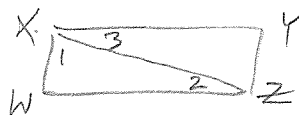
$$x = 3 \quad x = 1$$

$$AD = 2(9) - 9 = 18 - 9 = 9$$

$$DB = 5(3) - 6 = 15 - 6 = 9$$

$$AD = DB = 9$$

# IX. Proofs



- ①  $\square WXYZ \rightarrow$  ②  $\overline{XY} \parallel \overline{WZ} \rightarrow$  ③  $\angle 3 \cong \angle 2 \rightarrow$  ⑥  $m\angle 3 = m\angle 2$   
 ④  $\angle 1 \text{ \& } \angle 2$  Complement  $\rightarrow$  ⑤  $m\angle 1 + m\angle 2 = 90$
- ⑦  $m\angle 1 + m\angle 3 = 90$   
 ⑧  $m\angle WXY = m\angle 1 + m\angle 3$
- $\rightarrow$  ⑨  $m\angle WXY = 90$   
 $\rightarrow$  ⑩  $\angle WXY$  is Rt.  $\rightarrow$  ⑪  $WXYZ$  is a rect.

- ① Given
- ②  $\square \rightarrow$  opp sides  $\parallel$
- ③ 2  $\parallel$  lines  $\rightarrow$  alt. int.  $\angle$ s  $\cong$ .
- ④ Given
- ⑤ def of compl.  $\angle$ s.
- ⑥ def of  $\cong$   $\angle$ s.
- ⑦ Substitution Prop.
- ⑧ Angle Addition Post.
- ⑨ Substitution Prop.
- ⑩ def of Rt  $\angle$
- ⑪ A  $\square$  with 1 Rt.  $\angle$  is a rectangle.

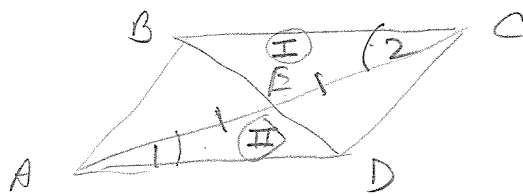
OR

- ①  $\angle 1 \text{ \& } \angle 2$  Complement.  $\rightarrow$  ②  $m\angle 1 + m\angle 2 = 90$   
 ③  $m\angle 1 + m\angle 2 + m\angle W = 180$
- $\rightarrow$  ④  $90 + m\angle W = 180$   
 ⑤  $m\angle W = 90 \rightarrow$  ⑥  $\angle W$  is Rt.  $\rightarrow$  ⑧  $WXYZ$  is a rectangle.  
 ⑦  $\square WXYZ$

- ① Given
- ② def of complementary  $\angle$ s
- ③ meas. of 3  $\angle$ s of  $\Delta$  is 180.
- ④ Substitution Prop.
- ⑤ Substitution Prop.
- ⑥ def of Rt.  $\angle$
- ⑦ Given
- ⑧ A  $\square$  with a right  $\angle$  is a rectangle



②

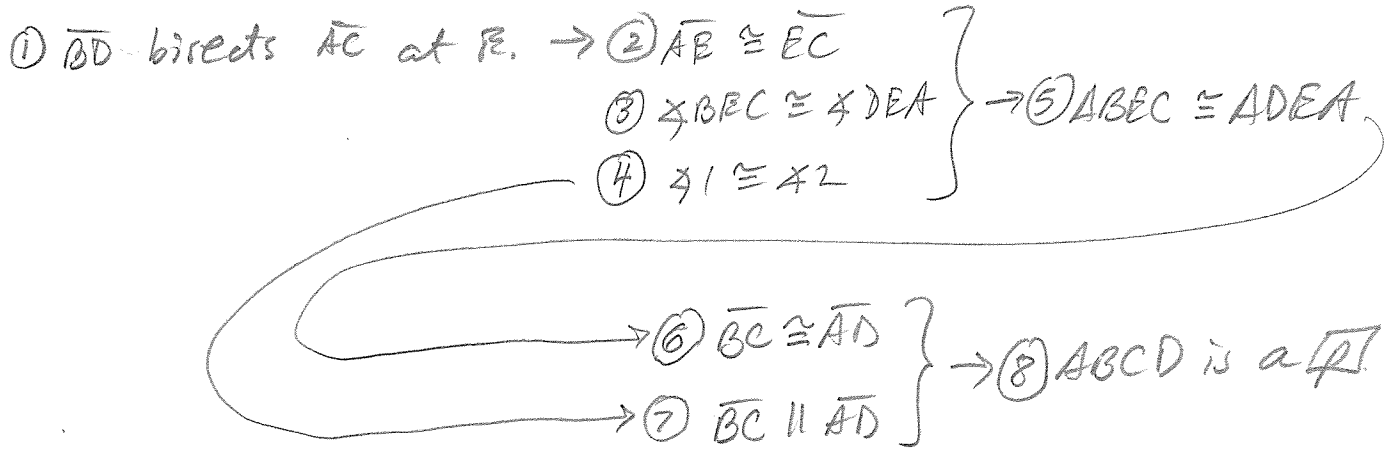


$\Delta I$  is  $\Delta BEC$   
 $\Delta II$  is  $\Delta DEA$

Plan

Can show  $\Delta I \cong \Delta II$  to get  $\overline{BC} \cong \overline{AD}$ .

Then use the method: If 1 pair opp sides are both  $\cong$  &  $\parallel \rightarrow \square$ .



① Given

② def. of segment bisector

③ Vertical  $\sphericalangle$ s  $\cong$ .

④ Given

⑤ ASA thm

⑥ CPCTC

⑦ If 2 lines w/ alt. int.  $\sphericalangle$ s  $\cong \rightarrow$  2  $\parallel$  lines.

⑧ If 1 pair of sides are  $\cong$  &  $\parallel \rightarrow$  a  $\square$

