

p163/#4

Vitamin Prob

Let  $x = \#$  daily units of A  
 $y = \#$  " " " B

a)  $.06x + .05y = C$

b)  $x \leq 600$

$y \leq 500$

$400 \leq x + y \leq 1000$

$y \geq \frac{1}{2}x$

$y \leq 3x$

$x + y = 1000$  (500, 500) (400, 600)  
 $y = -x + 1000$

c) feasible doses

d) i)  $.06x + .05y = 60 \rightarrow y = -\frac{6}{5}x + 1200$

ii)  $.06x + .05y = 30 \rightarrow y = -\frac{6}{5}x + 600$

iii)  $.06x + .05y = 15 \rightarrow y = -\frac{6}{5}x + 300$

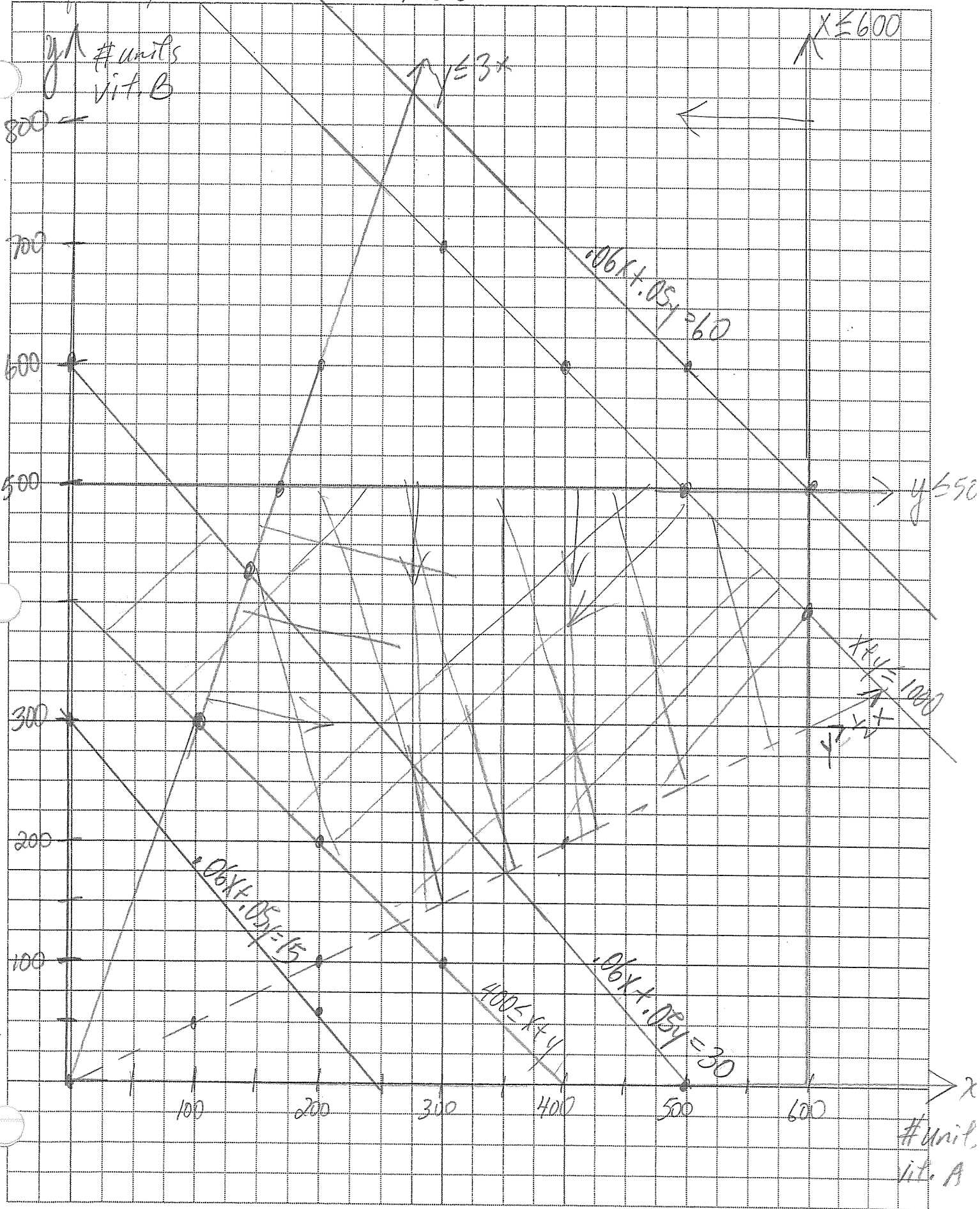
e) 60¢/day - NO; line outside of feasible region  
30¢/day - Yes, line inside of " "  
15¢/day - No, line outside " "

f) The word is "optimum" point.  
Point is (100, 300).

$C = .06(100) + .05(300)$

Min. = 21¢/day.

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p167/#9

# Linear Programming

Let  $x = \#$  of dozen C.C. cookies  
 $y = \#$  of " oat. b. "

$$x \leq 20$$

$$y \leq 40$$

$$x + y \leq 50$$

$$y \leq 3x \rightarrow (10, 30) \quad (20, 60) \quad (0, 0)$$

$$x + 1.5y = P$$

	Vertices	Profit $x + 1.5y = P$
A	(0, 0)	0
B	(12.50, 37.50)	68.75 ←
C	(20, 30)	65
D	(20, 0)	20

Answer:  
 12½ dz. ch. chip  
 37½ dz. oat. b.  
 \$68.75

12.50 → 13  
 → 12

(13, 37) ✓ \$68.50

37.50 → 37  
 → 38

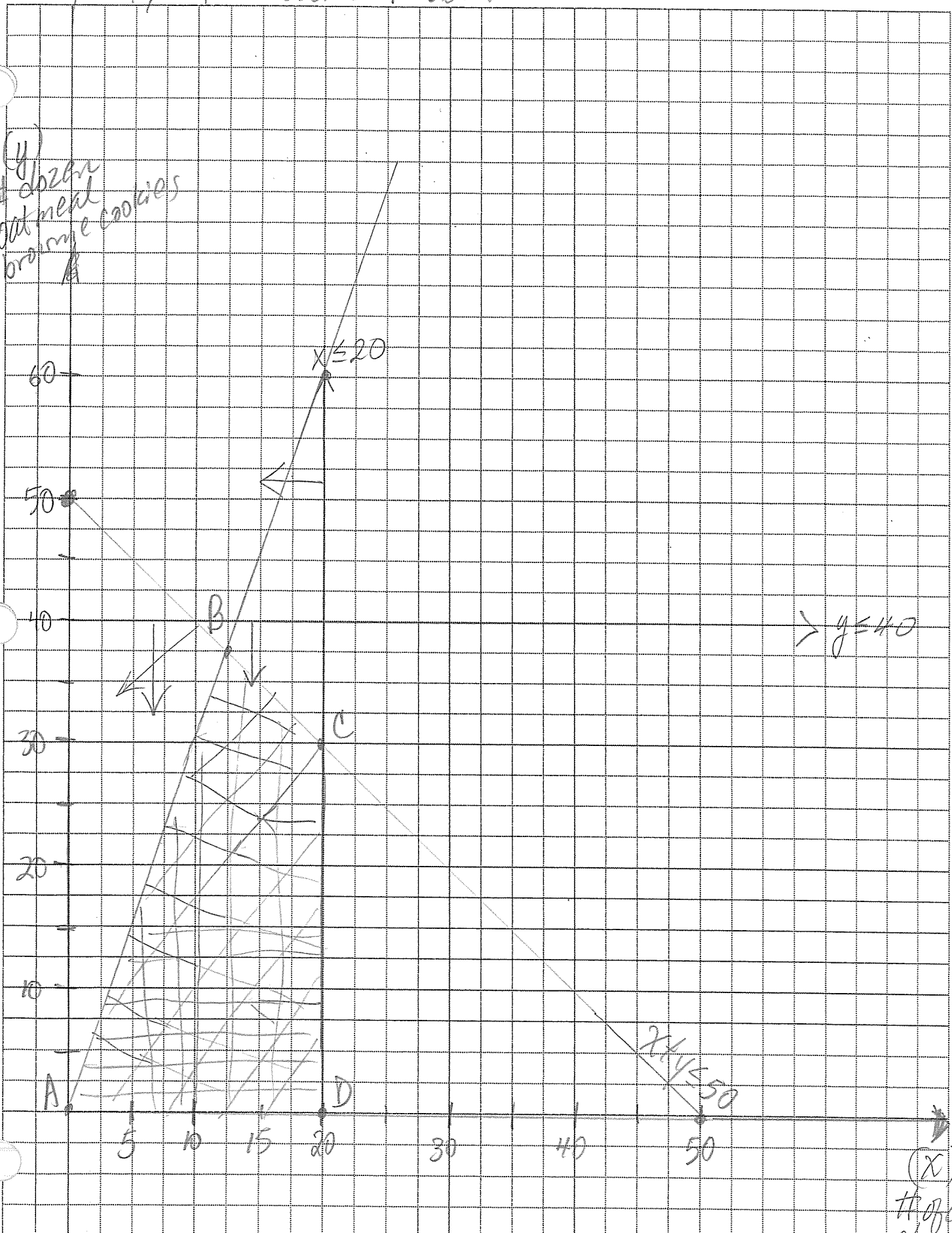
(12, 38) → fails  $y \leq 3x$

unnecessary because text had  
 answers in ½ dozens.

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# Cookie Problem

(y)  
# dozen  
oatmeal  
brownie cookies



(x)  
# of dozen  
Choc. Chip  
cookies

P167/#10 Christmas Tree

let  $x = \#$  of real trees  
 $y = \#$  of artificial trees

$20 \leq x \leq 90$   
 $y \leq 100$

$50 \leq x+y \leq 120$  →  $x+y \leq 120$   
 (30, 90) (50, 70) (70, 50)

$y \geq \frac{1}{2}x$  →  $x+y \geq 50$   
 (0, 50) (50, 0)

$80x + 160y = C$  →  $y = \frac{1}{2}x$   
 (20, 10) (60, 30)

Vertices	Cost $80x + 160y = C$	(real, art.)	minimum feasible amt.
(20, 30)	6400	33, 16	X b/c less than 50
(20, 100)	17,600	33, 17	5360
(80, 40)	12,800	34, 16	X fails $y \geq \frac{1}{2}x$
$(\frac{100}{3}, \frac{50}{3})$	5333.33	34, 17	5440

→  $x+y=50$   
 $y = \frac{1}{2}x$   
 $x + \frac{1}{2}x = 50$   
 $\frac{3}{2}x = 50$   
 $x = \frac{100}{3}$   
 $y = \frac{1}{2} \cdot \frac{100}{3} = \frac{50}{3}$

$80(\frac{100}{3}) + 160(\frac{50}{3}) = C$   
 $\frac{8000}{3} + \frac{8000}{3} = C$   
 $\frac{16000}{3} = C$   
 5333.

Answers  
 33 real  
 17 artificial  
 \$5360 minimum

Marica should buy 33 real and 17 artificial trees and invest \$5360.

p167/#10 Christmas Tree Probl.

