

Review: Angles of Polygons

Date KEY

1. Can a polygon have an interior angles sum of 4250? Why or why not.

Assume yes: $(n-2)180 = 4250$

$$n-2 = 23.61111\dots$$

$$n = 25.61111\dots$$

Since n is not an integer, the answer is no. A regular polygon cannot have 25.6111 sides.

2. Find the measure of each interior and exterior angle of a regular 26-gon.

Interior

$$(n-2)180 = \text{each } \angle$$

$$\frac{(26-2)180}{26} =$$

$$166\frac{4}{26} \Rightarrow \boxed{166\frac{2}{13}^\circ \text{ each int } \angle}$$

Exterior

$$\frac{360}{n} =$$

$$\frac{360}{26} =$$

$$\boxed{13\frac{11}{13}^\circ = \text{each ext. } \angle}$$

3. The measure of each interior angle of a regular polygon is eight times that of an exterior angle. How many sides does the polygon have?

$$\frac{8x}{x}$$

$$8x + x = 180$$

$$9x = 180$$

$$x = 20^\circ \text{ each exterior}$$

$$\frac{360}{20} = 18 \text{ sides}$$

$$\boxed{18 \text{ sides}}$$

4. As the number of sides of a regular polygon increases, what happens to the measure of each exterior angle?

As the # of sides \uparrow , the measure of each exterior \angle decreases.

$$\frac{360}{4} = 90^\circ \text{ each} \Rightarrow \frac{360}{20} = 18^\circ \text{ each}$$

5. As the number of sides of a convex polygon increases, what happens to the sum of the measures of its interior angles?

As the # of sides \uparrow , the sum of the measures of its interior \angle s increase.

As the # of sides \uparrow , the # of Δ s we can form \uparrow ;
 \therefore the sum of degrees \uparrow .