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- no; The radicand does not contain a variable.
- First, subtract 10 from both sides of the inequality. Then square each side. Eliminate any solutions that would make the radicand negative.
- $x = 7$
- $x = 18$
- $x = 24$
- $x = 27$
- $x = 6$
- $x = 6.4$
- $x = \frac{1000}{3}$
- $x = \frac{2}{9}$
- $x = 1024$
- no real solution
- about 21.7 yr
- about 11.5 m
- $x = 12$
- $x = 25$
- $x = 14$
- $x = 3$
- $x = 0$ and $x = \frac{1}{2}$
- $x = \frac{1}{2}$
- $x = 3$
- $x = 7.5$
- $x = -1$
- $x = -\frac{43}{15}$
- $x = 4$
- $x = 0.25$
- $x = \pm 8$
- $x = 4$
- no real solution
- $x = 81$
- $x = 3$
- $x = 1$
- $x = 5$
- $x = 1$ and $x = 2$
- Only one side of the equation was cubed;

$$\sqrt[3]{3x - 8} = 4$$

$$(\sqrt[3]{3x - 8})^3 = 4^3$$

$$3x - 8 = 64$$

$$x = 24$$

- When raising each side to an exponent, the 8 was not included;

$$8x^{3/2} = 1000$$

$$(8x^{3/2})^{2/3} = 1000^{2/3}$$

$$4x = 1000$$

$$x = 25$$

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- $x \geq 64$
- $x \leq 129$
- $x > 27$
- $0 \leq x < \frac{64}{49}$
- $0 \leq x \leq \frac{25}{4}$
- $x \geq 20$
- $x > -220$
- $x \geq 0$
- about 0.15 in.
- a. about 5.9 ft, about 2.6 ft
b. about 23.4 ft, about 10.5 ft
c. no; When the hang time doubles, the height increases by a factor of 4.

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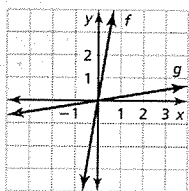
- You can add, subtract, multiply, or divide f and g .
- Any x -values not in the domains of both functions and any x -values that result in the denominator being equal to 0.
- $(f + g)(x) = 14\sqrt[4]{x}$ and the domain is $x \geq 0$; $(f - g)(x) = -24\sqrt[4]{x}$ and the domain is $x \geq 0$; $(f + g)(16) = 28$; $(f - g)(16) = -48$
- $(f + g)(x) = -10\sqrt[3]{2x}$ and the domain is all real numbers; $(f - g)(x) = 12\sqrt[3]{2x}$ and the domain is all real numbers; $(f + g)(-4) = 20$; $(f - g)(-4) = -24$
- $(f + g)(x) = -7x^3 + 5x^2 + x$ and the domain is all real numbers; $(f - g)(x) = -7x^3 - 13x^2 + 11x$ and the domain is all real numbers; $(f + g)(-1) = 11$; $(f - g)(-1) = -17$
- $(f + g)(x) = -x^2 + 4x + 4$ and the domain is all real numbers; $(f - g)(x) = 5x^2 + 18x - 4$ and the domain is all real numbers; $(f + g)(2) = 8$; $(f - g)(2) = 52$
- $(fg)(x) = 2x^{10/3}$ and the domain is all real numbers; $\left(\frac{f}{g}\right)(x) = 2x^{8/3}$ and the domain is $x \neq 0$; $(fg)(-27) = 118,098$; $\left(\frac{f}{g}\right)(-27) = 13,122$
- $(fg)(x) = 3x^{9/2}$ and the domain is $x \geq 0$; $\left(\frac{f}{g}\right)(x) = \frac{x^{7/2}}{3}$ and the domain is $x > 0$; $(fg)(4) = 1536$; $\left(\frac{f}{g}\right)(4) = \frac{128}{3}$
- $(fg)(x) = 36x^{3/2}$ and the domain is $x \geq 0$; $\left(\frac{f}{g}\right)(x) = \frac{4}{9}x^{1/2}$ and the domain is $x > 0$; $(fg)(9) = 972$; $\left(\frac{f}{g}\right)(9) = \frac{4}{3}$

- $(fg)(x) = 77x^{16/3}$ and the domain is all real numbers; $\left(\frac{f}{g}\right)(x) = \frac{11}{7}x^{2/3}$ and the domain is $x \neq 0$; $(fg)(-8) = 5,046,272$; $\left(\frac{f}{g}\right)(-8) = \frac{44}{7}$
- $(fg)(x) = -98x^{11/6}$ and the domain is $x \geq 0$; $\left(\frac{f}{g}\right)(x) = -\frac{1}{2}x^{7/6}$; and the domain is $x > 0$; $(fg)(64) = -200,704$; $\left(\frac{f}{g}\right)(64) = -64$
- $(fg)(x) = 8x^{7/4}$ and the domain is $x \geq 0$; $\left(\frac{f}{g}\right)(x) = 2x^{3/4}$ and the domain is $x > 0$; $(fg)(16) = 1024$; $\left(\frac{f}{g}\right)(16) = 16$
- 2541.04; 2458.96; 102,598.56; 60.92
- 245.62; -40.94; 14,663.04; 0.71
- 7.76; -14.60; -38.24; -0.31
- 29.01; -11.12; 179.44; 0.45
- B; A; The y -intercept in A is less than in B.
- $(f + g)(3) = -21$; $(f - g)(1) = -1$;
 $(fg)(2) = 0$; $\left(\frac{f}{g}\right)(0) = 2$
- $r(x) = x^2 - \frac{1}{2}x^2 = \frac{1}{2}x^2$

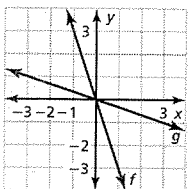
5.6 Evens are recommended.

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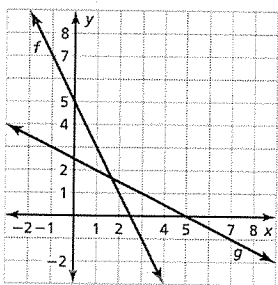
- Inverse functions are functions that undo each other.
- Use the horizontal line test.
- $x; x$
- Write an equation that represents a reflection of the graph of $f(x) = 5x - 2$ in the x -axis;
 $y = -5x + 2; y = \frac{x+2}{5}$
- $x = \frac{y-5}{3}; -\frac{8}{3}$
- $x = \frac{y+2}{-7}; \frac{1}{7}$
- $x = 2y + 6; 0$
- $x = -\frac{3y-3}{2}; 6$
- $x = \sqrt[3]{\frac{y}{3}}; -1$
- $x = \pm \sqrt{\frac{y+5}{2}}; \pm 1$
- $x = 2 \pm \sqrt{y+7}; 0, 4$
- $x = \sqrt[3]{y+1} + 5$; The input is $\sqrt[3]{-2} + 5$ when the output is -3 .
- $g(x) = \frac{1}{8}x$;



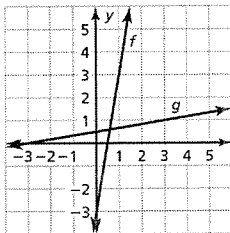
14. $g(x) = -\frac{1}{3}x$;



15. $g(x) = \frac{x-5}{-2}$;



16. $g(x) = \frac{x+3}{6}$;



17. $y = -2x + 8$

18. $y = 3x + 3$

19. $y = \frac{3}{2}x + \frac{1}{2}$

20. $y = -\frac{5}{4}x + \frac{1}{4}$

21. $y = \frac{x-4}{-3}$

- 22a) Inverses
b) Not inverses
c) Not inverses.

23. $f^{-1}(x) = -\frac{\sqrt{x}}{2}, x \geq 0$

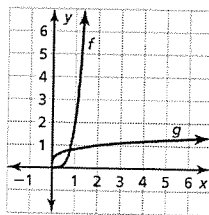
24. $f^{-1}(x) = -\frac{\sqrt{x}}{2}, x \geq 0$

25. $f^{-1}(x) = x^{\frac{1}{3}} + 3$

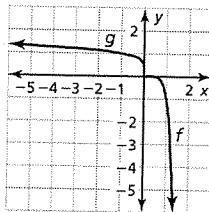
26. $f^{-1}(x) = x^{\frac{1}{3}} - 4$

27. $f^{-1}(x) = +\sqrt[4]{\frac{x}{2}}, x \geq 0$

27. $g(x) = \sqrt[4]{\frac{x}{2}}$;



28. $g(x) = \sqrt[6]{-x}$;



29. When switching x and y , the negative should not be switched with the variables;

$$y = -x + 3$$

$$x = -y + 3$$

$$-x + 3 = y$$

30. The inverse should only be $y = \sqrt{7x}$ because the domain of f is $x \geq 0$.

$$f(x) = \frac{1}{7}x^2, x \geq 0$$

$$y = \frac{1}{7}x^2$$

$$x = \frac{1}{7}y^2$$

$$7x = y^2$$

$$\sqrt{7x} = y$$

31. no; The function does not pass the horizontal line test.

32. no; The function does not pass the horizontal line test.

33. no; The function does not pass the horizontal line test.

34. yes; The function passes the horizontal line test.

35. yes; $g(x) = \sqrt[3]{x+1}$

36. yes; $g(x) = \sqrt[3]{-x+3}$

37. yes; $g(x) = x^2 - 4$, where $x \geq 0$

38. yes; $g(x) = x^2 + 6$, where $x \geq 0$

39. yes; $g(x) = \frac{x^3}{8} + 5$

40. no; $y = \pm \sqrt{\frac{x+5}{2}}$

41. no; $g(x) = \pm \sqrt[4]{x-2}$

42. yes; $g(x) = \sqrt[3]{\frac{x+5}{2}}$

43. yes; $g(x) = \frac{x^3}{27} - 1$

44. yes; $g(x) = \frac{-3x^3 - 4}{2}$

45. yes; $g(x) = \sqrt[5]{2x}$

46. yes; $g(x) = \frac{x^2 + 21}{12}$, where $x \leq 0$

47. B

48. C

49. The functions are not inverses.

50. The functions are inverses.

51. The functions are inverses.

52. The functions are not inverses.

53. $\ell = \left(\frac{v}{1.34}\right)^2$; about 31.3 ft